

Instructor: Adam Abrams

Section 17 CRN (Course Registration Number) 45656 Tuesday/Thursday/Friday 3:30 - 4:45 pm

Mach 0112 Reasoning with Functions

Tuesday, September 3



Basic operations with numbers and variables Functions in general Polynomial and rational functions Exponential and logarithmic functions

See theadamabrams.com/01124







The course grade is determined using six quizzes (15 points each), but the lowest score is ignored; 0 one final exam (20 points); participation (5 points). 0 This makes $15 \times 5 + 20 + 5 = 100$ total possible points.

Points	[0, 60)	[60, 70)	[70, 80)	[80, 90)	[90, 100]
Grade	F	D ⁻ , D, D ⁺	C ⁻ , C, C ⁺	B ⁻ , B, B+	A ⁻ , A, A+

Cutoffs for – and + to be determined later.

up to 2 points per quiz can be earned by completing homework;



Office of Accessibility Services Academic Success Center

- Office: 304 Savitz Hall 0
- Website: rowan.edu/studentaffairs/asc/ 0
- Phone: (856) 256-4259

other accommodations, please talk to me!

If you need extra time on exams, course materials in a different format, or

Adam Abrams "Adam" or "Dr. Abrams" or "Professor Abrams" or variants

Email: abramsa@rowan.edu

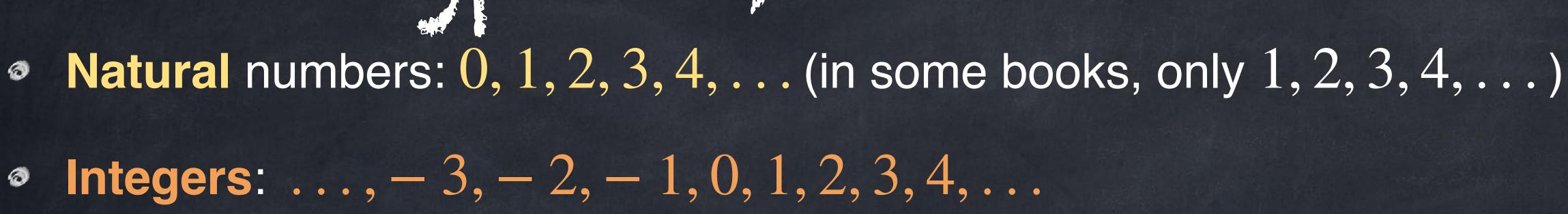
Office: Robinson 215B Possible office hours: Wednesdays 12 - 2 pm Fridays 10 - 11 am





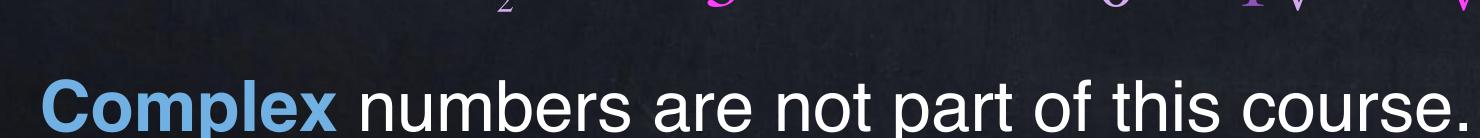






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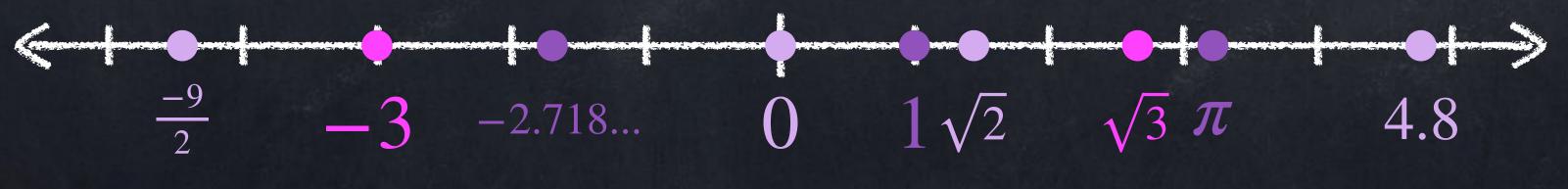
Real numbers are all the values on a number line. Examples: 0



0

Types of humbers

Rational numbers are all the numbers that *can* be written as one integer divided by another. Examples: $\frac{1}{2}$, $\frac{-2}{3}$, 1.5, $\frac{8}{1} = 8$, 0, $\frac{-5}{4}$



Real numbers that are not rational are called irrational.

- All natural numbers are rational numbers (for example, 5 is also $\frac{5}{1}$, so it can be written as one integer divided by another).
- All rational numbers are real numbers.

Examples:

- 18 is natural \rightarrow also integer and rational and real.
- $\frac{-2}{5}$ is rational \rightarrow also real.
- $\sqrt{7}$ is irrational \rightarrow also real.

A number cannot be both rational and irrational, but the other types overlap.



Commutativity

- a + b = b + a
- $a \times b = b \times a$, also written $a \cdot b = b \cdot a$ or just ab = ba
- Note powers are <u>not</u> commutative: $a^b \neq b^a$.

Associativity

- a + (b + c) = (a + b) + c
- a(bc) = (ab)c

Distributive: a(b + c) = ab + ac

Properties of + and X



Identity

- a + 0 = a
- $a \times 1 = a$

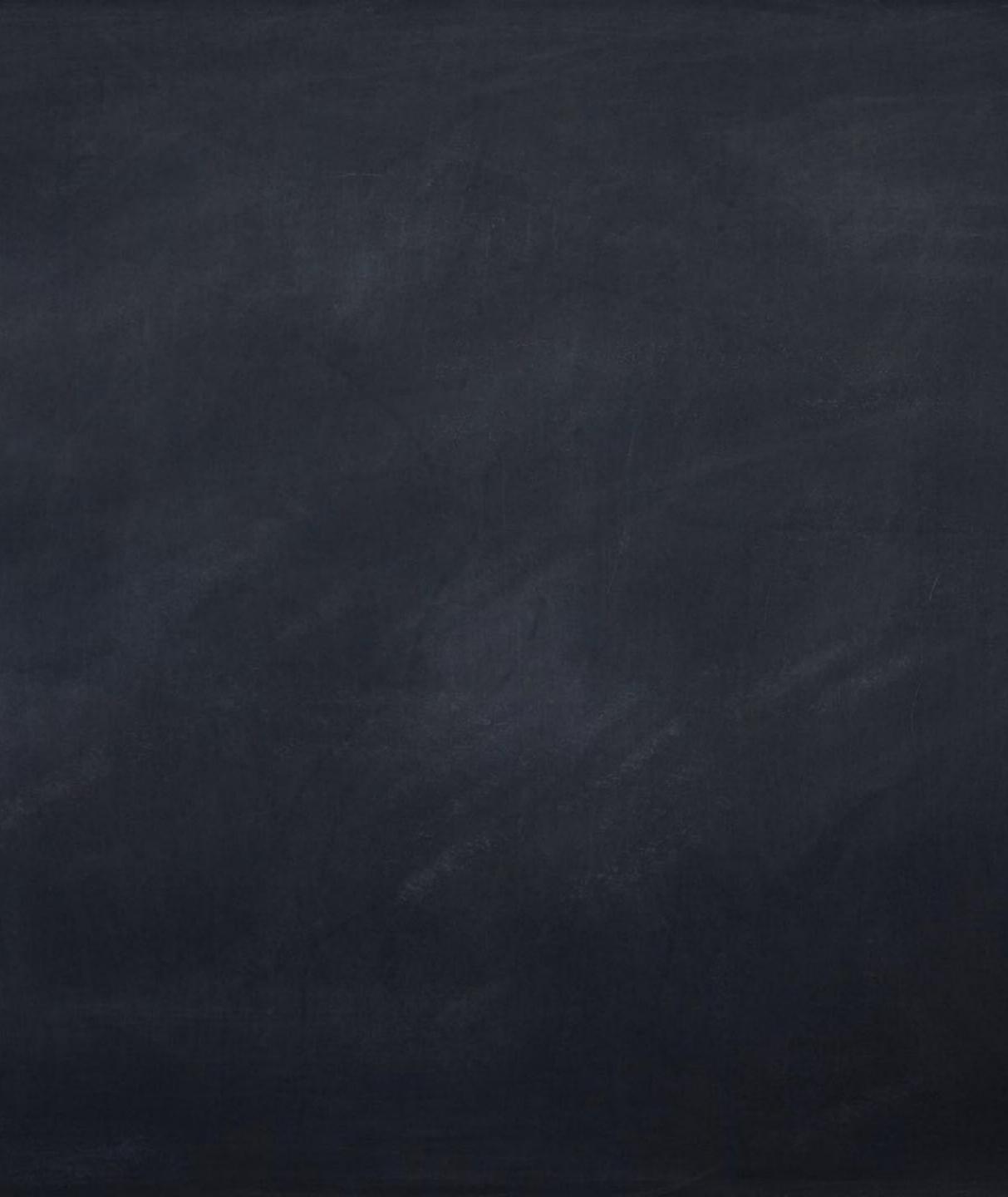
Inverse

• a + (-a) = 0, also written a - a = 0• $a \times - = 1$, also written - = 1 \mathcal{A} \mathcal{A}

Properties of + and x

Calculate $(5 \times 8) \times \frac{1}{8}$.

Calculate $(5+8) \times \frac{1}{8}$



"PEMDAS" is a way to help remember

- 1 Parentheses
- 2 Exponents
- ③ Multiplication and Division (left to right)
- ④ Addition and Subtraction (left to right)

Examples: $-3^2 =$ $(5+3)^2 =$ $2 + 7 \times 3 =$

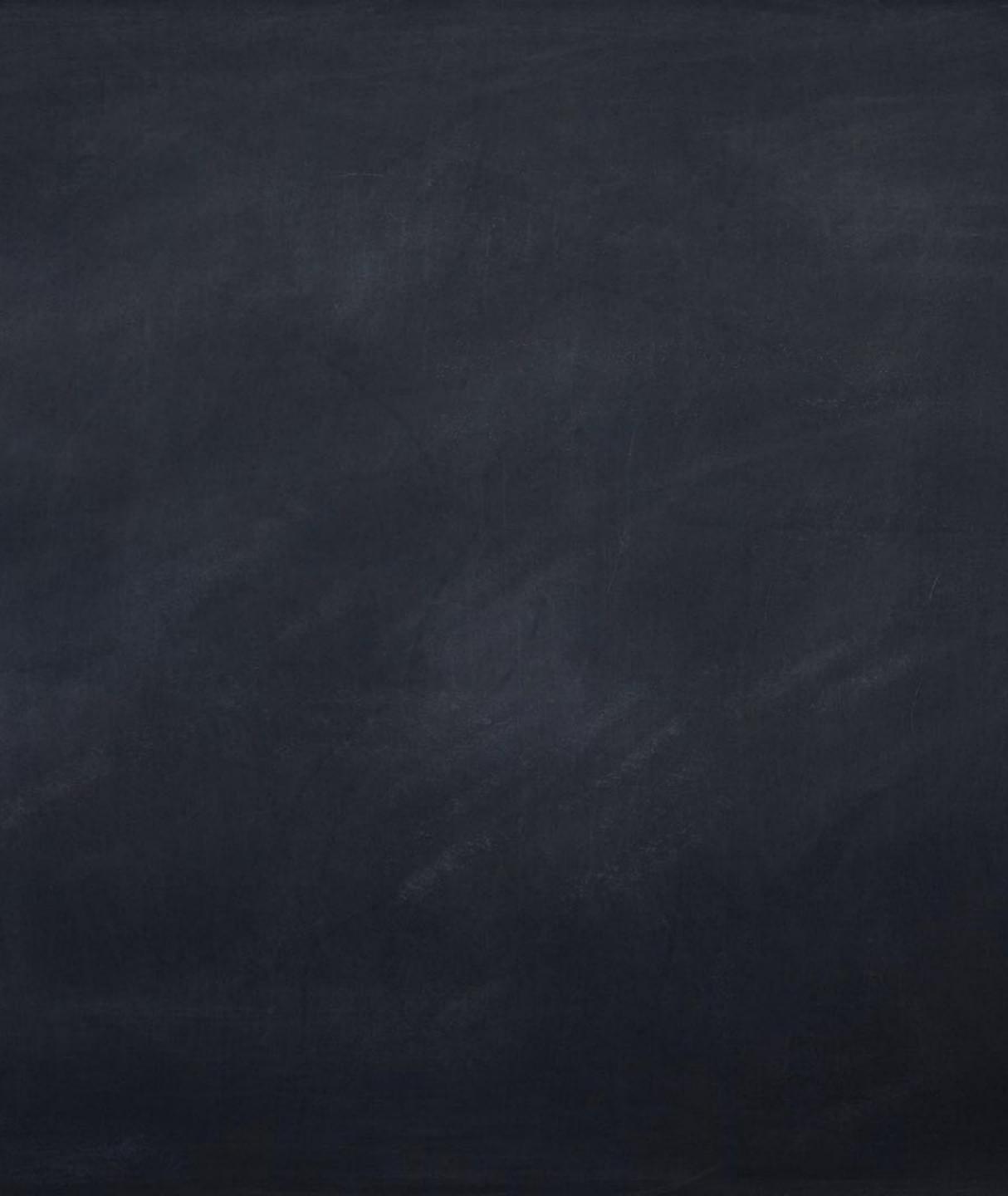


 $(-3)^2 =$ $5 + 3^2 =$ $2 + (7 \times 3) =$

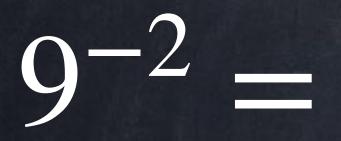
 $5^2 + 3^2 =$

Task 1: Plug x = 5 into 4x + 9.

Task 2: Plug t = -6 into into $\frac{t^2}{2}$.



 $9^2 =$



 $9^{1/2} =$



